Environmental Water Management in a Near-Optimal World

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Managed and impacted







How to allocate scarce resources to improve ecosystem performance?







Tools and Applications

- 1. Improve habitat performance
- 2. Near-optimal management
- 3. Challenges and further work





1. Improve Habitat Performance

a. Identify Management Purpose(s)

b. Define Performance Metric

c. Specify Decision Variables

d. Relate Metric and Variables

e. Identify Constraints

f. Embed Metric in Systems Model as Objective to Maximize

g. Compare current and "optimal" performance



Bear River Migratory Bird Refuge, Utah



Defining the Model with Stakeholders

Component	Refuge actions	Model	
Management Objective	Create diverse habitat types that support a diversity of bird species and mimic a well-functioning freshwater wetlands		
Performance indicator(s)	 Key bird species counts Native veg. coverage Water level targets 	• Weighted unit area for wetlands (WUAW)	
Decision variables	 Water flow through canals, dikes, gates, etc. Water depth in units Burning, chemical apps. Predator control 	 Water depth (WD) Flow duration (FD) Veg. coverage (VC) 	
Constraints	 Water availability (physical & water rights) Conveyance network Max. flooding depths in wetland units Time to implement actions \$\$\$ to implement. 		

Z

Weighted unit area for wetlands (WUAW)

- Wetland surface area that provides suitable conditions to reach habitat management goals (m²)
- Habitat suitability index (HSI) by attribute
 - Water depth
 - Vegetation coverage

 Weight by water surface area



Non-Linear Program Formulation

Objective Function:

 $Max WUAW = \sum_{i,t} cs_{i,t} (WD_{it}, VC_{it}) \cdot a_i (WD_{it})$ Subject to: (Mass balance in each $v_i(WD_{it}) = v_i(WD_{i,t-1}) + \sum_i X_{jit} - \sum_i X_{ijt} - e_{it}, \forall i, t$ wetland unit *i* in time *t*) $\sum_{i} X_{jit} = \sum_{i} X_{ijt}, \ \forall i, t$ (Mass balance at each node) $\sum X_{ujt} \leq wa_t, \forall t$ (Water availability) $\sum_{i}^{u,j} \left(t_{WD_{it}} \cdot WD_{it} + t_{FD_{it}} \cdot FD_{it} + t_{VC_{it}} \cdot VC_{it} \right) \leq tt$ (Time to implement actions) $\sum_{i,t} \left(c_{WD_{it}} \cdot WD_{it} + c_{FD_{it}} \cdot FD_{it} + c_{VC_{it}} \cdot VC_{it} \right) \leq tb$ (\$\$\$ to implement actions) $0 \le WD_{it} \le wd_{\max i}, \forall i, t$ $vc_{\min i} \le VC_{it} \le vc_{\max i}, \forall i, t$ (Upper and lower bounds) on decisions) $fd_{\min i} \leq FD_{it} \leq fd_{\max i}, \ \forall i, t \ 0 \leq X_{iit} \leq x_{\max ii}, \ \forall i, j, t$

Recommended Water Levels



Modeled wetland performance



Wetland performance versus water availability



"We need to more dynamically adjust water levels in our wetland units"

-- Howard Browers, Refuge biologist

2. Near-Optimal Management

Why near-optimal?

- Complex problems
- Solutions optimal only for modeled issues
- Un-modeled issues persist
- Managers need more than single-best



Voltaire, La Begueule (1772)

Near-Optimal Defined

- 1. Find optimal
- Alternatives a specified tolerance (γ) from optimal

$$f(x_1, x_2) \le \gamma \cdot f^*$$

- 3. MGA method
 - Find maximally-different alternatives
 - Slow
 - Partial picture



New Near-Optimal Tools

- 1. Alternative generation
 - Stratified Monte Carlo Markov Chain sampling
- 2. Visualize
 - Parallel coordinate plot
- 3. Interact
 - Plot controls to render, filter, generate new alts.
 - Update model formulation

Help managers find near-optimal alternatives they prefer to the optimal solution

Phosphorus removal, Echo Reservoir, Utah







Best Management Practices

I. Fence streams

- 2. Grass filter strips
- 3. Protect grazing land
- 4. Stabilize stream banks
- 5. Retire land
- 6. Cover crop
- 7. Manage agricultural nutrients
- ... and others

Problem Specifics and Formulation

• Pending TMDL in 2006

- Non-point source load reduction of 8,067 kg/year
- 10 practices (i)
 - 3 sources (s)
 - 3 sub-watersheds (w)
- 39 decisions!!

(Alminagorta et. al, 2013)

Decide BMP implementation levels (b_{iws}) to

Minimize costs
$$Z = \sum_{iws} (p_{iws} \times U_i)$$

Such that

i. Define phosphorus removed,

$$p_{iws} = E_i \times b_{iws}; \forall i, s, w$$

ii. Phosphorus reduction targets achieved, $\sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{$

$$\sum_{i} (p_{iws} \times C_{is}) \geq P_{ws}; \forall w, s$$

iii. Available resources to implement BMPs,

$$\sum_{s} \sum_{i} (C_{is} D_{gi} b_{iws}) \leq B_{gw}; \forall g, w$$

iv. Remove no more than the existing load, and

$$\sum_{i} (p_{iws} \times C_{is}) \leq L_{ws}; \forall w, s$$

v. Non-negative variable values

$$p_{iws} \geq 0; \forall i, w, s; b_{iws} \geq 0; \forall 19i, w, s$$

Comparing optimal solution and near-optimal alternative generation methods



Expanding the near-optimal region



Updating the Model Formulation to Include Phosphorus Removal Objective



Chalk C

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hip

New tools identify flexible strategies to reduce phosphorus to Echo Reservoir

Elicit un-modeled issues and improve model formulation



- 3. Challenges & Next Steps
- Basin-scale
- Non-linear problems
- Embed uncertainties
- Test tool use
- Larger, more complicated problems

Conclusions

- 1. Embed env. metric as objective to maximize
- 2. Improve wetland performance three-fold
- 3. Faster tools to generate, visualize and explore near-optimal alts.
- 4. Elicit un-modeled issues => improve model
- 5. Continuing work

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Further Information

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Code Repository & Documentation

<u>https://github.com/dzeke/Blended-Near-</u>
 <u>Optimal-Tools</u>



Watershed Habitat Performance Lower Bear River, Utah

- Habitat suitability metric (unit area)
- Represent priority species, locations and seasons
- Easy-to-collect data
- Use in a systems model



Main Components







$$NVI_{i,t} = \frac{C_{N_{i,t}}}{C_{V_{i,t}}} \quad \forall i$$

$$NV_{i,t} = NVI_{i,t} \times AF_i, \quad \forall i, t$$

$$WHP = \sum\nolimits_{s,i,t} w_{s,i,t} \times Ind_{s,i,t}$$



Simulation Results

State and Decision Variables	August 2012	May 2013	Change (%)
Instream flow (Ha-m/month)	6,507	4,429	-47%
River width (m)	28	30	7%
River depth (m)	2.30	1.95	-18%
Floodplain area (km ²)	31	31	0%
Inflow to the Refuge (Ha-m/month)	939	3,598	74%
Area of Riparian Area protected (km)	2.3	3.1	26%
Sub-Indicators			
Riparian Protection [RP] (km ²)	2,659	3,540	25%
Aquatic Life [AQ] (km ²)	37,940	40,650	7%
Floodplain Vegetation Nativity [NV] (km ²)	14	20	30%
Usable Area for Wetlands [WU] (km ²)	6	10	40%
Total WHP (km ²)	40,619	44,220	8%

Organizing Data for Models

- Sources, formats, firmware, ...
- Semantics, domains, ...
- Metadata











Water Management Data Model (WaM-DaM)

- 1. Organize water management data
- 2. Synthesize data across domains and sources
- 3. Compare data from different scenarios
- 4. Serve data to run models
- 5. Publish model data and share with others



WaM-DaM Conceptual Design



Use Case - Integrate and compare disparate data for the Bear River Basin



Example results

Reservoir Instance	Attribute	Value	Unit	Source
Hyrum	Area	451.558	acre	National Atlas Waterbodies
Hyrum	Area	480	acre	National Atlas Major Dams
Hyrum	MaxStorage	14440	acre foot	National Atlas Major Dams
Hyrum	MaxStorage	18684	acre foot	DavidRosenberg/WEAP
Hyrum	MaxStorage	18684	acre foot	Utah Division of Water Res

- Discover, organize, & share data
- Send to a model